

Audio Bass and Treble Filters for SoftWave

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$$f_c := 0.2 \cdot \frac{\pi}{2} \qquad \sigma := \frac{\sqrt{2}}{2}$$

$$a := \tan \left[\frac{1}{2} \cdot \left(f_c - \frac{\pi}{2} \right) \right] \qquad a = -0.727$$

$$A := 0.25 \qquad F := \text{if} (A > 1, A \cdot 0.707, A \cdot 1.414)$$

$$\gamma_d := \left(\frac{F^2 - 1}{A^2 - F^2} \right)^{0.25} \qquad \gamma_d = 1.935$$

$$\gamma_n := \sqrt{A} \cdot \left(\frac{F^2 - 1}{A^2 - F^2} \right)^{0.25} \qquad \gamma_n = 0.967$$

$$20 \cdot \log \left(\frac{\gamma_n}{\gamma_d} \right) = -6.02 \text{ dB}$$

$$n_1 := 1 + 2 \cdot \sigma \cdot \gamma_n + \gamma_n^2 \qquad n_3 := 1 - 2 \cdot \sigma \cdot \gamma_n + \gamma_n^2$$

$$n_2 := -2 \cdot (1 - \gamma_n^2)$$

$$d_1 := 1 + 2 \cdot \sigma \cdot \gamma_d + \gamma_d^2 \qquad d_3 := 1 - 2 \cdot \sigma \cdot \gamma_d + \gamma_d^2$$

$$d_2 := -2 \cdot (1 - \gamma_d^2)$$

$$T(\rho) := \frac{n_1 + n_2 \cdot \rho^{-1} + n_3 \cdot \rho^{-2}}{d_1 + d_2 \cdot \rho^{-1} + d_3 \cdot \rho^{-2}}$$

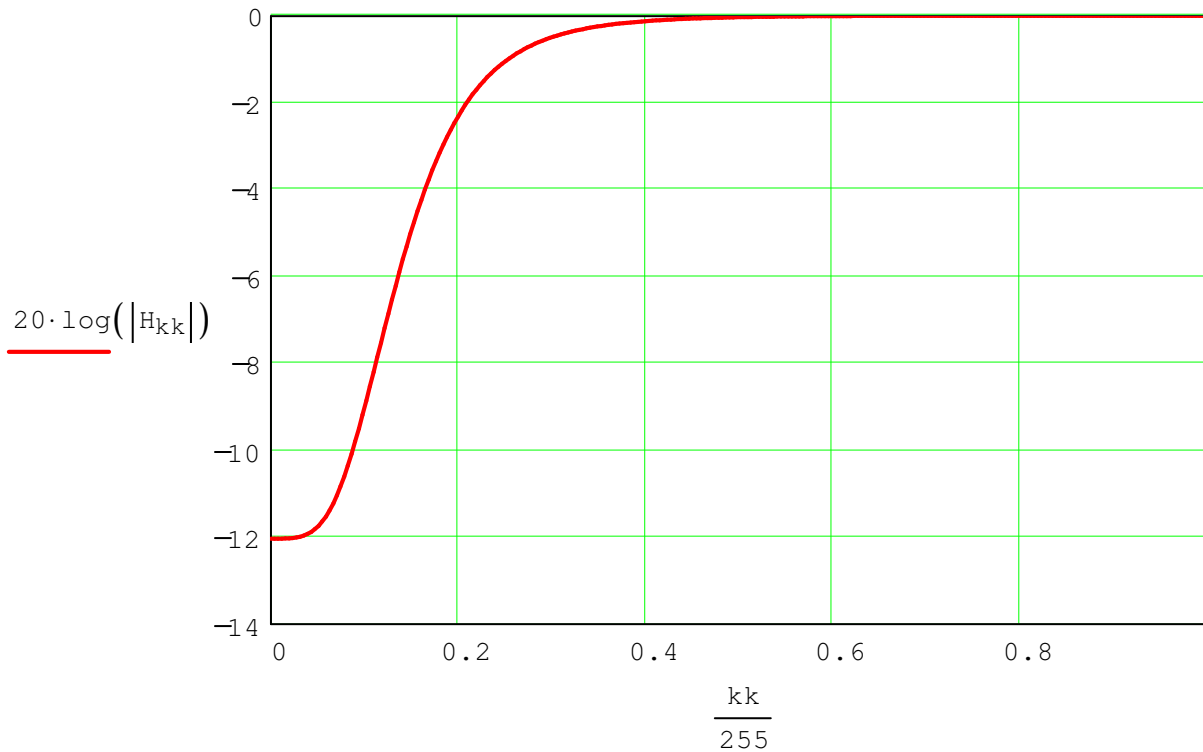
$$kk := 0 .. 255$$

$$f_{kk} := \frac{kk \cdot \pi}{255} \qquad jx := \sqrt{-1}$$

$$zf_{kk} := \cos(f_{kk}) + jx \cdot \sin(f_{kk})$$

$$c_{kk} := \frac{a + (z f_{kk})^{-1}}{1 + a \cdot (z f_{kk})^{-1}}$$

$$H_{kk} := T(c_{kk})$$



Check substitution results:

$$nx1 := n1 \cdot a^2 + n2 \cdot a + n3$$

Lowpass Shelving Filter

$$nx2 := 2 \cdot a \cdot n1 + n2 \cdot a^2 + 2 \cdot a \cdot n3 + n2$$

$$nx3 := n1 + a \cdot n2 + n3 \cdot a^2$$

$$dx1 := d1 \cdot a^2 + d2 \cdot a + d3$$

$$nx1 = 2.405$$

$$dx2 := 2 \cdot a \cdot d1 + d2 \cdot a^2 + d2 + 2 \cdot a \cdot d3$$

$$nx2 = -5.822$$

$$dx3 := d1 + d2 \cdot a + d3 \cdot a^2$$

$$nx3 = 3.697$$

$$dx1 = 1.969$$

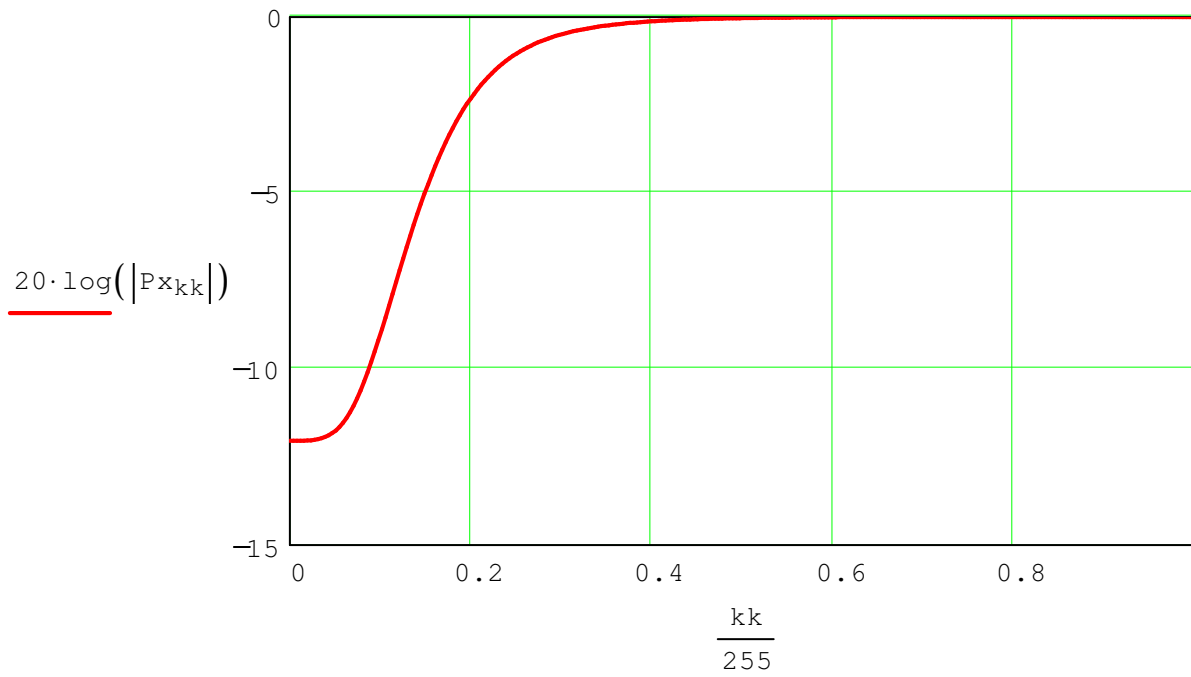
$$dx2 = -5.402$$

$$dx3 = 4.553$$

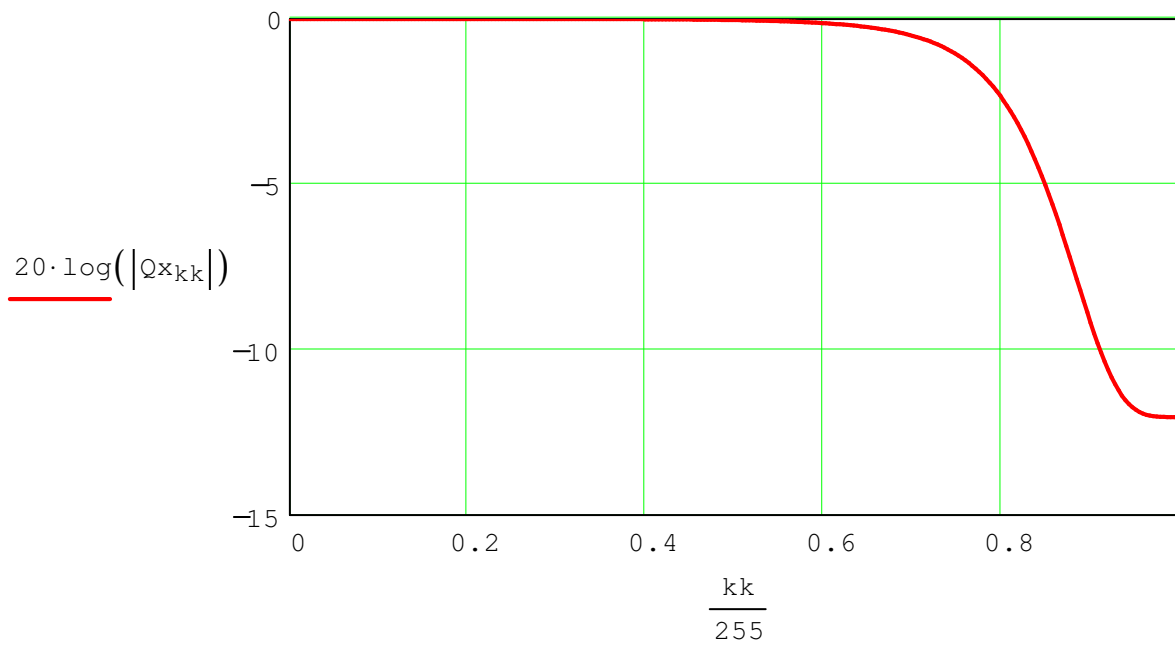
$$P(z) := \frac{nx1 + nx2 \cdot z^{-1} + nx3 \cdot z^{-2}}{dx1 + dx2 \cdot z^{-1} + dx3 \cdot z^{-2}}$$

$$P_{x_{kk}} := P(z f_{kk})$$

$$\begin{aligned} nx1 &= 2.405 \\ nx2 &= -5.822 \\ nx3 &= 3.697 \\ dx1 &= 1.969 \\ dx2 &= -5.402 \\ dx3 &= 4.553 \end{aligned}$$



$$Q_{x_{kk}} := P(-z f_{kk})$$



Calculate Same for Upper Shelf

$$fc2 := 1.0 \cdot \frac{\pi}{2} \quad a := \tan \left[\frac{1}{2} \cdot \left(fc2 - \frac{\pi}{2} \right) \right]$$

$$A := 0.5 \quad F := \text{if} (A > 1, 0.707 \cdot A, 1.414 \cdot A)$$

$$\gamma_d := \left(\frac{F^2 - 1}{A^2 - F^2} \right)^{0.25} \quad \gamma_d = 1.189$$

$$\gamma_n := \sqrt{A} \cdot \left(\frac{F^2 - 1}{A^2 - F^2} \right)^{0.25} \quad \gamma_n = 0.841$$

$$n1 := 1 + 2 \cdot \sigma \cdot \gamma_n + \gamma_n^2 \quad n3 := 1 - 2 \cdot \sigma \cdot \gamma_n + \gamma_n^2$$

$$n2 := -2 \cdot (1 - \gamma_n^2) \quad \text{dB}$$

$$d1 := 1 + 2 \cdot \sigma \cdot \gamma_d + \gamma_d^2 \quad d3 := 1 - 2 \cdot \sigma \cdot \gamma_d + \gamma_d^2$$

$$d2 := -2 \cdot (1 - \gamma_d^2)$$

Check substitution results:

$$Nx1 := n1 \cdot a^2 + n2 \cdot a + n3 \quad \text{Highpass Shelving Filter}$$

$$Nx2 := (2 \cdot a \cdot n1 + n2 \cdot a^2 + 2 \cdot a \cdot n3 + n2)$$

$$Nx3 := (n1 + a \cdot n2 + n3 \cdot a^2)$$

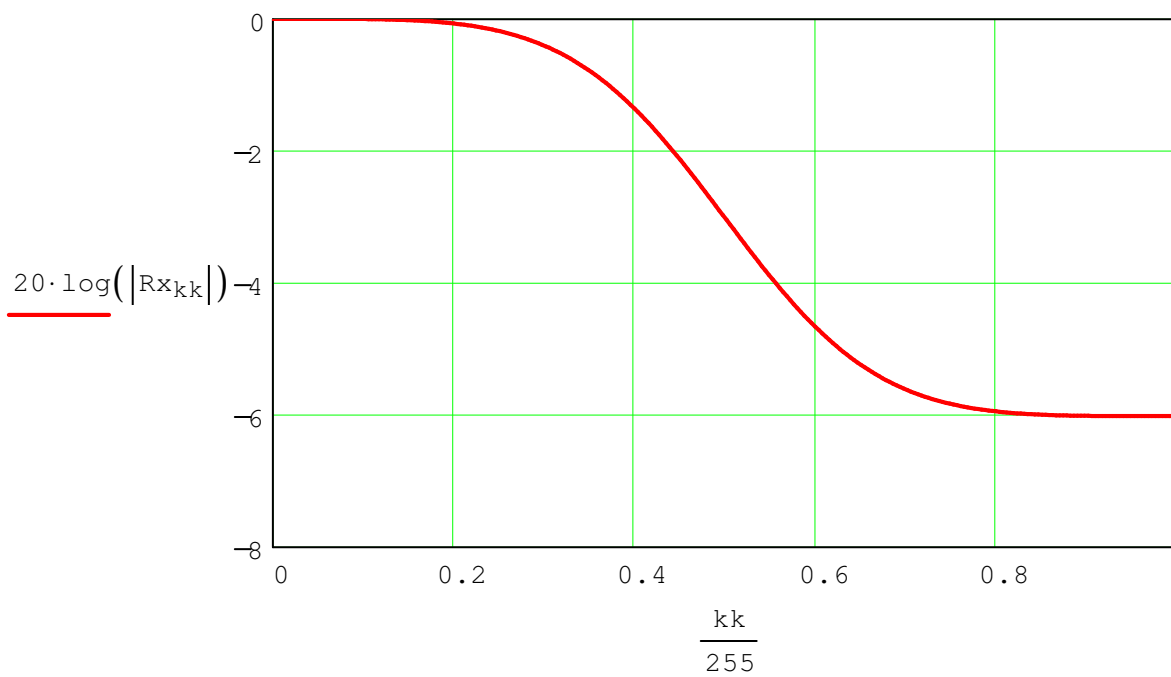
$$Dx1 := d1 \cdot a^2 + d2 \cdot a + d3$$

$$Dx2 := (2 \cdot a \cdot d1 + d2 \cdot a^2 + d2 + 2 \cdot a \cdot d3)$$

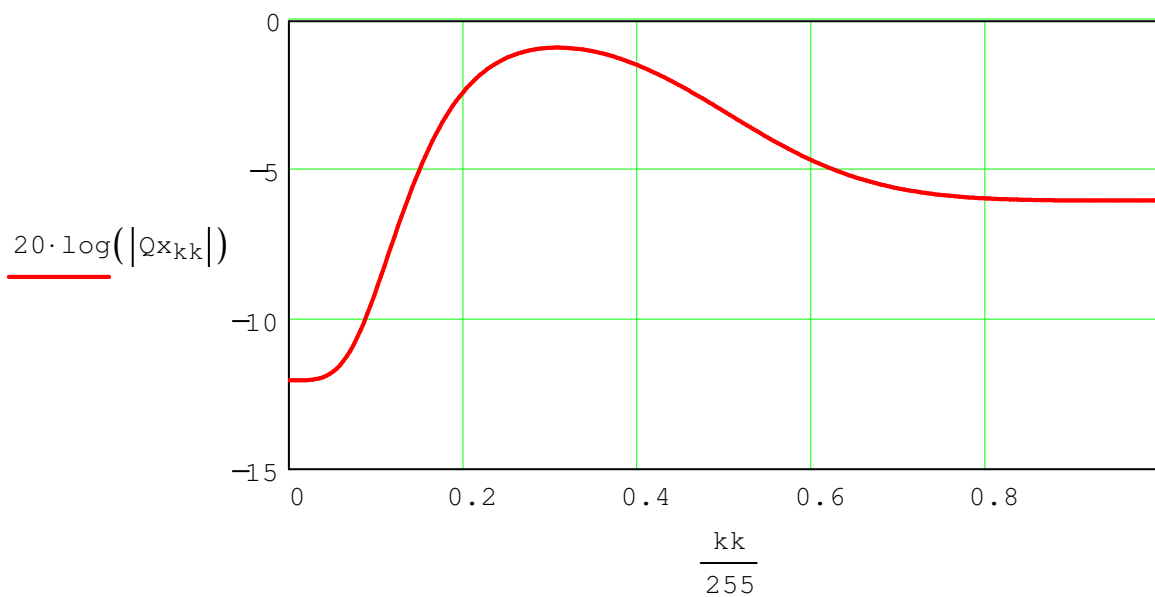
$$Dx3 := (d1 + d2 \cdot a + d3 \cdot a^2)$$

$$R(z) := \frac{Nx1 + Nx2 \cdot z^{-1} + Nx3 \cdot z^{-2}}{Dx1 + Dx2 \cdot z^{-1} + Dx3 \cdot z^{-2}}$$

$$Rx_{kk} := R(-z f_{kk})$$



$Q_{x_{kk}} := P_{x_{kk}} \cdot R_{x_{kk}}$



$$\alpha_0 := nx1 \cdot Nx1$$

$$\alpha_1 := nx2 \cdot Nx1 - nx1 \cdot Nx2$$

$$\alpha_2 := nx3 \cdot Nx1 - nx2 \cdot Nx2 + nx1 \cdot Nx3$$

$$\alpha_3 := nx2 \cdot Nx3 - nx3 \cdot Nx2$$

$$\alpha_4 := nx3 \cdot Nx3$$

$$\beta_0 := dx1 \cdot Dx1$$

$$\beta_1 := dx2 \cdot Dx1 - dx1 \cdot Dx2$$

$$\beta_2 := dx3 \cdot Dx1 - dx2 \cdot Dx2 + dx1 \cdot Dx3$$

$$\beta_3 := dx2 \cdot Dx3 - dx3 \cdot Dx2$$

$$\beta_4 := dx3 \cdot Dx3$$

$$F_{\text{mm}}(z) := \frac{\alpha_0 + \alpha_1 \cdot z^{-1} + \alpha_2 \cdot z^{-2} + \alpha_3 \cdot z^{-3} + \alpha_4 \cdot z^{-4}}{\beta_0 + \beta_1 \cdot z^{-1} + \beta_2 \cdot z^{-2} + \beta_3 \cdot z^{-3} + \beta_4 \cdot z^{-4}}$$

$$X_{kk} := F(zf_{kk})$$

